

Designation: D6607 – 00 (Reapproved 2005)

Standard Practice for Inclusion of Precision Statement Variation in Specification Limits¹

This standard is issued under the fixed designation D6607; the number immediately following the designation indicates the year of original adoption or, in the case of revision, the year of last revision. A number in parentheses indicates the year of last reapproval. A superscript epsilon (ε) indicates an editorial change since the last revision or reapproval.

1. Scope

1.1 This practice covers a method of determining rational specification limits by inclusion of the precision of the test method used in the specification.

1.2 The values stated in SI units are to be regarded as the standard. The values given in parentheses are for information only.

1.3 This standard does not purport to address all of the safety concerns, if any, associated with its use. It is the responsibility of the user of this standard to establish appropriate safety and health practices and determine the applicability of regulatory limitations prior to use.

2. Referenced Documents

2.1 ASTM Standards:²

- C670 Practice for Preparing Precision and Bias Statements for Test Methods for Construction Materials
- C802 Practice for Conducting an Interlaboratory Test Program to Determine the Precision of Test Methods for Construction Materials
- D2172 Test Methods for Quantitative Extraction of Bitumen From Bituminous Paving Mixtures
- D2726 Test Method for Bulk Specific Gravity and Density of Non-Absorptive Compacted Bituminous Mixtures
- E177 Practice for Use of the Terms Precision and Bias in ASTM Test Methods
- 2.2 Federal Highway Administration Report:
- FHWA Report HI-93-047 Materials Control and

Acceptance—Quality Assurance, Federal Highway Administration, May 1993³

3. Terminology

3.1 For definitions of terms used in this practice, consult Practice E177.

4. Significance and Use

4.1 Each test method has a limited precision. Even if a test is performed as carefully and as correctly as possible on a material which is as homogeneous as can be obtained, the test will still vary from one to another. A widely used measure of the variation of the test results from a test method is the standard deviation (σ). In an ASTM standard test, the standard deviation of the test method can be found in the Precision and Bias statement for the test. The "Blue Book," *Form and Style for ASTM Standards*, requires that all test methods include Precision and Bias statements. Practice C670 and Practice C802 provide guidance for determination of these values.

4.2 If the precision of a test method is low and the precision of the test has not been properly considered in a material specification, a uniform material with the right quality may still be rejected most of the time because of the wide variation of the test results. In order to have rational specification limits, the precision of the test used should be properly included in a specification.

4.3 This practice provides a guideline for proper inclusion of precision of the test method in a rational specification.

5. Procedure

5.1 Determine the effective standard deviation (σ_x) of the test results due to the combined effects of materials variation and test variation using Eq 1:

$$\sigma_X = (\sigma_M^2 + \sigma_T^2) \tag{1}$$

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¹ This guide is under the jurisdiction of Committee D04 on Road and Paving Materials and is the direct responsibility of Subcommittee D04.94 on Statistical Procedures and Evaluation of Data.

Current edition approved June 1, 2005. Published June 2005. Originally approved in 2000. Last previous edition approved in 2000 as D6607-00. DOI: 10.1520/D6607-00R05.

² For referenced ASTM standards, visit the ASTM website, www.astm.org, or contact ASTM Customer Service at service@astm.org. For *Annual Book of ASTM Standards* volume information, refer to the standard's Document Summary page on the ASTM website.

³ Available from National Technical Information Service (NTIS), U.S. Department of Commerce, 5285 Port Royal Rd., Springfield, VA 22161.

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where:

- σ_M = standard deviation of test property due to material variation (see Note 1), and
- σ_T = standard deviation of test property due to test method (see Note 2).

Note $1-\sigma_M$ is the expected standard deviation of the material property when the material is produced in a properly controlled process. A standard deviation which is representative of the acceptable variation of the material can be used. It can be calculated from the data obtained from properly produced materials.

Note $2-\sigma_T$ is the standard deviation as given in the precision statement for the test method used to measure the test property.

5.2 Determine the standard deviation of the mean of the test results ($\sigma_{\overline{x}}$) using Eq 2:

$$\sigma_{\overline{\times}} = \sigma_{\times} / \sqrt{n} \tag{2}$$

where:

n = number of tests performed.

5.3 For a two-ended specification (with both a minimum and maximum limits), the specification limits for the average test value from *n* test (\bar{x}) should be the following:

 $\mu - Z_{\alpha/2} \,\sigma_{\overline{\times}} \le \overline{\times} \le \mu + Z_{\alpha/2} \,\sigma_{\overline{\times}} \tag{3}$

where:

 $\mu = \text{target property} \\ Z_{\alpha/2} = \text{critical number of standard deviations for } (1-\alpha) \\ \text{confidence interval. (See Table 1 for values of } Z_{\alpha/2} \\ 2 \text{ for different specified confidence intervals.)}$

5.4 For a one-ended specification (with only a maximum or minimum limit), the specification limit for the average test value from *n* test (\bar{x}) should be the following:

$$\overline{\times} \ge \mu - Z_{\alpha} \ \sigma_{\overline{\times}} \text{ (with a minimum limit)} \tag{4}$$

or

$$\overline{\times} \le \mu + Z_{\alpha} \sigma_{\overline{\times}}$$
 (with a maximum limit) (5)

TABLE 1 Z Values for Different Confidence Levels

Confidence Level $(1 - \alpha)$:	90 %	95 %	97.5 %	99.0 %
$Z_{\alpha/2}$ (Two-End Specification)	1.645	1.960	2.243	2.575
Z_{α} (One-End Specification)	1.282	1.645	1.960	2.327

iTeh Appendixes

X1. First Example of the Application of Precision Limits to Specification Writing

X1.1 Problem Statement

X1.1.1 A specification is to be written for the asphalt content of an asphalt mixture with aggregate water absorption capacity of less than 1.25 %. Three reflux asphalt extraction tests are to be run and the average of three test results is to be used for acceptance purpose. The target asphalt content is 6.2 %. It is assumed that the contractor can reasonably control the asphalt content with a standard deviation of 0.20 % (see Note X1.1).

NOTE X1.1—Typical standard deviations of different material properties can be found in FHWA Report HI-93–047. The typical range of standard deviation of asphalt content was given as 0.15 % - 0.30 %.

X1.2 Precision statement for Test Methods D2172 (Method B—Reflux) is given in Table X1.1.

X1.3 The combined standard deviation of the measured asphalt content:

X2. Second Example

X2.1 Problem Statement

X2.1.1 A specification is to be written for the asphalt content of the asphalt mixture as described in Example 1. However, the average of seven test results (instead of three test results) is to be used.

X2.2 The combined standard deviation of the measured

TABLE X1.1 Mixes with Agg. of Water Absorption < 1.25 %

	Standard Deviation	Acceptable Range of Two Test Results
Single-Operator	0.19 %	.054 %
Multi-Operator	0.23 %	0.65 %
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$$\sigma_x = \sqrt{(0.2^2 + 0.23^2)} = 0.305\%$$
(X1.1)

X1.4 The standard deviation of the mean of three test results:

$$\sigma_{\bar{x}} = 0.305 \, / \, \sqrt{3} = 0.176 \, \% \tag{X1.2}$$

X1.5 Specification limits using a 95 % confidence interval:

$$= 6.2 \% \pm Z_{\alpha/2} (0.176 \%)$$

= 6.2 % ± 1.96 (0.176 %)
= 6.2 % ± 0.3 % (X1.3)

asphalt content is the same as in Example 1:

 $\sigma_{\rm r} = \sqrt{(0.2^2 + 0.23^2)} = 0.305 \% \tag{X2.1}$

X2.3 The standard deviation of the mean of seven test results:

$$\sigma_{\bar{x}} = 0.305 \,/\,\sqrt{7} = 0.115\,\% \tag{X2.2}$$