



Designation: E457 – 08

Standard Test Method for Measuring Heat-Transfer Rate Using a Thermal Capacitance (Slug) Calorimeter¹

This standard is issued under the fixed designation E457; the number immediately following the designation indicates the year of original adoption or, in the case of revision, the year of last revision. A number in parentheses indicates the year of last reapproval. A superscript epsilon (ϵ) indicates an editorial change since the last revision or reapproval.

1. Scope

1.1 This test method describes the measurement of heat transfer rate using a thermal capacitance-type calorimeter which assumes one-dimensional heat conduction into a cylindrical piece of material (slug) with known physical properties.

1.2 *This standard does not purport to address all of the safety concerns, if any, associated with its use. It is the responsibility of the user of this standard to establish appropriate safety and health practices and determine the applicability of regulatory limitations prior to use.*

1.3 The values stated in SI units are to be regarded as standard. No other units of measurement are included in this standard.

NOTE 1—For information see Test Methods E285, E422, E458, E459, and E511.

2. Referenced Documents

2.1 *ASTM Standards:*²

E285 Test Method for Oxyacetylene Ablation Testing of Thermal Insulation Materials

E422 Test Method for Measuring Heat Flux Using a Water-Cooled Calorimeter

E458 Test Method for Heat of Ablation

E459 Test Method for Measuring Heat Transfer Rate Using a Thin-Skin Calorimeter

E511 Test Method for Measuring Heat Flux Using a Copper-Constantan Circular Foil, Heat-Flux Transducer

3. Summary of Test Method

3.1 The measurement of heat transfer rate to a slug or thermal capacitance type calorimeter may be determined from the following data:

¹ This test method is under the jurisdiction of ASTM Committee E21 on Space Simulation and Applications of Space Technology and is the direct responsibility of Subcommittee E21.08 on Thermal Protection.

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² For referenced ASTM standards, visit the ASTM website, www.astm.org, or contact ASTM Customer Service at service@astm.org. For *Annual Book of ASTM Standards* volume information, refer to the standard's Document Summary page on the ASTM website.

- 3.1.1 Density and specific heat of the slug material,
 - 3.1.2 Length or axial distance from the front face of the cylindrical slug to the back-face thermocouple,
 - 3.1.3 Slope of the temperature—time curve generated by the back-face thermocouple, and
 - 3.1.4 Calorimeter temperature history.
- 3.2 The heat transfer rate is thus determined numerically by multiplying the density, specific heat, and length of the slug by the slope of the temperature—time curve obtained by the data acquisition system (see Eq 1).

3.3 The technique for measuring heat transfer rate by the thermal capacitance method is illustrated schematically in Fig. 1. The apparatus shown is a typical slug calorimeter which, for example, can be used to determine both stagnation region heat transfer rate and side-wall or afterbody heat transfer rate values. The annular insulator serves the purpose of minimizing heat transfer to or from the body of the calorimeter, thus approximating one-dimensional heat flow. The body of the calorimeter is configured to establish flow and should have the same size and shape as that used for ablation models or test specimens.

3.3.1 For the control volume specified in this test method, a thermal energy balance during the period of initial linear temperature response where heat losses are assumed negligible can be stated as follows:

$$\begin{aligned} &\text{Energy Received by the Calorimeter (front face)} \\ &= \text{Energy Conducted Axially Into the Slug} \\ q_c &= \rho C_p l (\Delta T / \Delta \tau) = (M C_p / A) (\Delta T / \Delta \tau) \end{aligned} \quad (1)$$

where:

- q_c = calorimeter heat transfer rate, W/m²,
- ρ = density of slug material, kg/m³,
- C_p = average specific heat of slug material during the temperature rise (ΔT), J/kg·K,
- l = length or axial distance from front face of slug to the thermocouple location (back-face), m,
- ΔT = ($T_f - T_i$) = calorimeter slug temperature rise during exposure to heat source (linear part of curve), K,
- $\Delta \tau$ = ($\tau_f - \tau_i$) = time period corresponding to ΔT temperature rise, s,
- M = mass of the cylindrical slug, kg,

A = cross-sectional area of slug, m².

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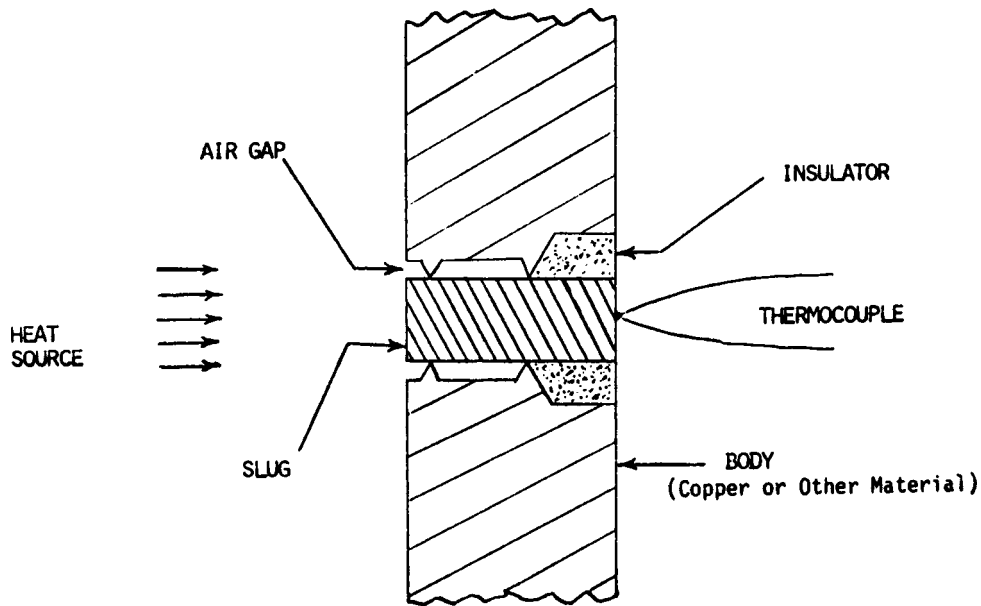


FIG. 1 Schematic of a Thermal Capacitance (Slug) Calorimeter

In order to determine the steady-state heat transfer rate with a thermal capacitance-type calorimeter, Eq 1 must be solved by using the known properties of the slug material³ (for example, density and specific heat)—the length of the slug, and the slope (linear portion) of the temperature–time curve obtained during the exposure to a heat source. The initial and final temperature transient effects must be eliminated by using the initial linear portion of the curve (see Fig. 2).

3.3.2 In order to calculate the initial response time for a given slug, Eq 2 may be used.⁴ This equation is based on the idealization of zero heat losses from slug to its holder.

$$\tau_R = \frac{l^2 \rho C_p}{k \pi^2} \ln \left(\frac{2}{1 - \frac{q_{\text{indicated}}}{q_{\text{input}}}} \right) \quad (2)$$

where:

- k = thermal conductivity of slug material, W/m·K
- $q_{\text{indicated}}$ = q that would be measured at the back-face of the slug by Eq 1, W/m²
- q_{input} = constant q_{input} at the front-face of the slug beginning at $\tau = 0$, W/m²

3.3.3 Although the goal of good slug calorimeter design is to minimize heat losses, there can be heating environments, such as very high heat fluxes, where even a good slug calorimeter design cannot meet the recommended 5 % maximum heat loss criterion of 6.1. Also, this criterion only deals with heat losses measured during the cooling phase, not losses during the heating phase, which can be greater than the cooling losses. Under these circumstances, significant heat losses from slug to holder during the heating phase, as well as other

possible decaying processes such as a drop in surface catalyticity, can cause the Temperature–Time slope to decrease significantly more than can be accounted for by the increasing heat capacity with temperature of the Copper slug alone, making it important that the slope be taken early in the process before the losses lower the slope too much, introducing more error to the downside on the heat flux calculated (see Fig. 3). The degree of losses affect the exact position where the best slope begins to occur, but typically it should be expected at about time $\tau = \tau_R$ calculated by Eq 2 for $q_{\text{indicated}}/q_{\text{input}} = 0.99$, which value of τ_R is abbreviated as $\tau_{R0.99}$. Fig. 2 and Fig. 3 assume that “heat source on” is a step function. This is an idealization, but the reality can be significantly different. For example, in some cases a calorimeter may experience a higher heat flux prior to reaching its final position in the heat source, which can cause the initial maximum slope to be higher than what is wanted for the calculation of the heat flux at the final position. Therefore, it is important to note that “zero” time, to which $\tau_{R0.99}$ is added to determine where to start looking for the desired slope, is when the calorimeter has reached its final position where it is desired to measure the heat flux. Therefore, choosing the best place to take the slope can be very important. Should more accurate results be required, the losses from the slug should be modeled and accounted for by a correction term in the energy balance equation.⁵

3.3.4 For maximum linear test time (temperature–time curve) within an allowed surface temperature limit, the relation shown as Eq 3 may be used for a calorimeter which is insulated by a gap at the back face.⁶

$$\tau_{\text{max,opt.}} = 0.48 \rho l C_p (\Delta T_{\text{frontface}} / \dot{q}) \quad (3)$$

³ “Thermophysical Properties of High Temperature Solid Materials,” TPRC, Purdue University, or “Handbook of Thermophysical Properties,” Tolukian and Goldsmith, MacMillan Press, 1961.

⁴ Ledford, R. L., Smotherman, W. E., and Kidd, C. T., “Recent Developments in Heat-Transfer Rate, Pressure, and Force Measurements for Hotshot Tunnels,” AEDC-TR-66-228 (AD645764), January 1967.

⁵ Childs, P. R. N., Greenwood, J. R., and Long, C. A., “Heat flux measurement techniques,” *Proceedings of the Institution of Mechanical Engineers*, Vol 213, Part C, 1999, pp. 664–665.

⁶ Kirchhoff, R. H., “Calorimetric Heating-Rate Probe for Maximum-Response-Time Interval,” *American Institute of Aeronautics and Astronautics Journal*, AIAA, Vol 2, No. 5, May 1964, pp. 966–67.