



Designation: D5129 – 95 (Reapproved2008)

# Standard Test Method for Open Channel Flow Measurement of Water Indirectly by Using Width Contractions<sup>1</sup>

This standard is issued under the fixed designation D5129; the number immediately following the designation indicates the year of original adoption or, in the case of revision, the year of last revision. A number in parentheses indicates the year of last reapproval. A superscript epsilon ( $\epsilon$ ) indicates an editorial change since the last revision or reapproval.

## 1. Scope

1.1 This test method covers the computation of discharge (the volume rate of flow) of water in open channels or streams using bridges that cause width contractions as metering devices.<sup>2</sup>

1.2 This test method produces the maximum discharge for one flow event, usually a specific flood. The computed discharge may be used to help define the high-water portion of a stage-discharge relation.

1.3 The values stated in inch-pound units are to be regarded as standard. The values given in parentheses are mathematical conversions to SI units that are provided for information only and are not considered standard.

1.4 *This standard does not purport to address all of the safety concerns, if any, associated with its use. It is the responsibility of the user of this standard to establish appropriate safety and health practices and determine the applicability of regulatory limitations prior to use.*

## 2. Referenced Documents

2.1 *ASTM Standards:*<sup>3</sup>

**D1129 Terminology Relating to Water**

**D2777 Practice for Determination of Precision and Bias of Applicable Test Methods of Committee D19 on Water**  
**D3858 Test Method for Open-Channel Flow Measurement of Water by Velocity-Area Method**

2.2 *ISO Standard:*<sup>4</sup>

**ISO 748 Liquid Flow Measurements in Open Channels—Velocity-Area Measurements**

<sup>1</sup> This test method is under the jurisdiction of ASTM Committee D19 on Water and is the direct responsibility of Subcommittee D19.07 on Sediments, Geomorphology, and Open-Channel Flow.

Current edition approved Oct. 1, 2008. Published November 2008. Originally approved in 1990. Last previous edition approved in 2003 as D5129 – 95 (2003). DOI: 10.1520/D5129-95R08.

<sup>2</sup> This test method is similar to methods developed by the U.S. Geological Survey and described in documents referenced in Footnote 5.

<sup>3</sup> For referenced ASTM standards, visit the ASTM website, www.astm.org, or contact ASTM Customer Service at service@astm.org. For *Annual Book of ASTM Standards* volume information, refer to the standard's Document Summary page on the ASTM website.

<sup>4</sup> Available from American National Standards Institute (ANSI), 25 W. 43rd St., 4th Floor, New York, NY 10036, http://www.ansi.org.

## 3. Terminology

3.1 *Definitions:* For definitions of terms used in this test method, refer to Terminology D1129.

3.2 *Definitions of Terms Specific to This Standard:*

3.2.1 *alpha* ( $\alpha$ )—a velocity-head coefficient that adjusts the velocity head computed on basis of the mean velocity to the true velocity head.

3.2.2 *area* ( $A$ )—the area of a cross section, parts of a cross section, or parts of bridges below the water surface. Subscripts indicate specific areas as follows:

$A_i$  = area of subsection  $i$ ,  
 $A_j$  = area of piers or piles that is submerged,  
 $A_T$  = area of total cross section 1 (see Fig. 1), and  
 $A_3$  = gross area of section 3.

3.2.3 *conveyance*, ( $K$ )—a measure of the carrying capacity of a channel cross section, or parts of a cross section, and has units of cubic feet per second or cubic metres per second. Conveyance is computed as follows:

$$K = \frac{1.486}{n} AR^{2/3}$$

where:

$n$  = the Manning roughness coefficient,  
 $A$  = the cross-section area, ft<sup>2</sup> (m<sup>2</sup>), and  
 $R$  = the hydraulic radius, ft (m).  
\*in SI units = 1.0

The following subscripts refer to specific conveyances for parts of a cross section:

$K_a, K_b$  = conveyances of parts of the approach section to either side of the projected bottom width of the contracted section (see Fig. 2).  $K_d$  is always the smaller of the two,

$K_d$  = conveyance at the upstream end of the dikes,  
 $K_i$  = conveyance of subsection  $i$ ,  
 $K_j$  = conveyance of the part of the approach section corresponding to the projected bottom-width, and  
 $K_T$  = total conveyance of cross section.

3.2.4 *depth* ( $y$ )—depth of flow at a cross section. Subscripts denote specific cross section depths as follows:

$y_1$  = depth of flow in cross section 1 (approach section), and  
 $y_3$  = depth of flow in cross section 3 (contracted section).

3.2.5 *eccentricity* ( $e$ )—a measure of the symmetry of the contraction in relation to the approach channel.

3.2.6 *friction slope* ( $S_f$ )—the energy loss,  $h_f$ , divided by the length of the reach,  $L$ .

3.2.7 *Froude number* ( $F$ )—an index to the state of flow in a channel. In a rectangular channel, the flow is tranquil or subcritical if the Froude number is less than 1.0 and is rapid or supercritical if it is greater than 1.0.

3.2.8 *head* ( $h$ )—static or piezometric head above an arbitrary datum. Subscripts indicate specific heads as follows:

$h_f$  = head loss due to friction, and  
 $h_s$  = stagnation-surface level at embankment face.

3.2.9 *hydraulic radius* ( $R$ )—is equal to the area of a cross section or subsection divided by its wetted perimeter.

3.2.10 *length* ( $L$ )—length of bridge abutment in direction of flow. Subscripts or symbols identify other lengths as follows:

$L_d$  = length of dikes,  
 $L_w$  = distance from approach section to upstream side of contraction,  
 $u$  = length of projection of abutment beyond wingwall junction, and  
 $x$  = horizontal distance from the intersection of the abutment and embankment slopes to the location on upstream embankment having the same elevation as the water surface at section 1.

3.2.11 *wetted perimeter* ( $P$ )—is the sum of the hypotenuse of a right triangle defined by the distance between adjacent stations of the cross section and the difference in bed elevations.

3.2.12 *width* ( $b$ )—width of contracted flow section. Subscripts denote specific widths as follows:

$b_d$  = offset distance for straight dikes, and  
 $b_t$  = width of contracted flow section at water surface.

### 3.3 Symbols:

3.3.1 flow contraction ratio =  $m$ .

3.3.2 *coefficients*—

$C$  = coefficient of discharge,  
 $C'$  = coefficient of discharge for base condition,  
 $n$  = Manning roughness coefficient, and  
 $k$  = discharge coefficient adjustment.

## 4. Summary of Test Method

4.1 The contraction of a stream channel by a bridge creates an abrupt drop in water-surface elevation between an approach section and the contracted section under the bridge that can be related to the discharge using the bridge as a metering device. A field survey is made to determine distances between and elevations of high-water marks upstream and downstream from the contraction and the geometry of the bridge structure. These data are used to compute the fall in the water surface between an approach section and the contracted section and selected properties of the sections. This information is used along with

discharge coefficients, determined by extensive hydraulic laboratory investigations and verified at field sites, in a discharge equation to compute the discharge,  $Q$ .

## 5. Significance and Use

5.1 This test method is particularly useful to determine the discharge when it cannot be measured directly by some type of current meter to obtain velocities and with sounding weights to determine the cross section.

5.2 Even under the best conditions, the personnel available cannot cover all points of interest during a major flood. The engineer or technician cannot always obtain reliable results by direct methods if the stage is rising or falling very rapidly, if flowing ice or debris interferes with depth or velocity measurements, or if the cross section of an alluvial channel is scouring or filling significantly.

5.3 Under the worst conditions, access roads are blocked, cableways and bridges may be washed out, and knowledge of the flood frequently comes too late. Therefore, some type of indirect measurement is necessary. The contracted-opening method is commonly used on valley-floor streams.

## 6. Apparatus

6.1 The equipment generally used for a “transit-stadia” survey is recommended. An engineer’s transit, a self-leveling level with azimuth circle, newer equipment using electronic circuitry, or other advanced surveying instruments may be used. Standard level rods, a telescoping, 25-ft (7.62 m) level rod, rod levels, hand levels, steel and metallic tapes, tag lines (small wires with markers fixed at known spacings), vividly colored flagging, survey stakes, a camera, and ample note paper are necessary items.

6.2 Additional equipment that may expedite a survey includes axes, shovels, a portable drafting machine, a boat with oars and motor, hip boots, waders, nails, sounding equipment, two-way radios, ladder, and rope.

6.3 Safety equipment should include life jackets, first aid kit, drinking water, and pocket knives.

## 7. Sampling

7.1 Sampling as defined in Terminology **D1129** is not applicable in this test method.

## 8. Calibration

8.1 The surveying instruments, transit, etc., should have their adjustment checked, possibly daily when in continuous use or after some occurrence that may have affected the adjustment.

8.2 The standard check is the “two-peg” or “double-peg” test. If the error is over 0.03 ft in 100 ft (0.091 m in 30.48 m), the instrument should be adjusted. The two-peg test and how to adjust the instrument are described in many surveying textbooks. Refer to manufacturers’ manual for the electronic instruments.

8.3 If the “reciprocal leveling” technique is used in the survey, it is the equivalent of the two-peg test between each of two successive hubs.

8.4 Sectional and telescoping level rods should be checked visually at frequent intervals to be sure sections are not separated. A proper fit at each joint can be checked by measurements across the joint with a steel tape.

8.5 All field notes of the transit-stadia survey should be checked before proceeding with the computations.

## 9. Procedure

9.1 To obtain reliable results, the site selected should be one where the geometry of the bridge is close to one of the standard types or modified types described in Section 11. If a desirable site cannot be found, other methods, such as the slope-area method, may yield better results.

9.1.1 The channel under the bridge should be relatively stable. Because the amount of scour at the time of the peak flow cannot be determined, do not use this test method at contractions on sand channels. Avoid contractions where large scour holes have formed because the coefficients presented herein do not apply.

9.1.2 The fall,  $\Delta h$ , is the difference in the computed water surface elevation, between sections 1 and 3, and is not to be less than 0.5 ft (0.15 m). It is defined by high-water marks.

9.1.3 The fall should be at least four times the friction loss between sections 1 and 3. Therefore, avoid long bridges downstream from heavily wooded flood plains.

9.2 The approach section, section 1, is a cross section of the natural, uncontracted channel upstream from the beginning of drawdown. Locate section 1 one bridge-opening width,  $b$ , upstream from the contraction to be sure it is upstream from the drawdown zone. For a completely eccentric contraction, one with no contraction on one bank, locate section 1 two bridge-opening widths upstream because such a contraction is considered as half a normal contraction. Section 1 includes the entire width of the valley perpendicular to the direction of flow.

9.2.1 When water-surface profiles are level for some distance along the embankment or upstream from the contraction, ponded approach conditions may exist. Even so, survey an approach section because under some conditions, the approach velocity head just balances the friction loss.

9.3 The contracted section, section 3, is the minimum area on a line parallel to the contraction. Generally, the section is between the abutments. When abutments of a skewed bridge are parallel to the flow, section 3 is still surveyed parallel to the contraction even though the minimum section is actually perpendicular to the abutments. An angularity factor (see 13.3.1) adjusts the surveyed section to the minimum section.

9.3.1 The area,  $A_3$ , is always the gross area of the section below the level of the free water surface. No deductions are made for areas occupied by piles, piers, or submerged parts of the bridge if they lie in the plane of the contracted section.

9.3.2 The mean velocity,  $V_3$ , is computed using the gross area,  $A_3$ .

9.3.3 The conveyance,  $K_3$ , is computed with the area of piles, piers, or submerged parts deducted from the gross area.

9.3.4 The wetted perimeter used to compute the hydraulic radius,  $R$ , will include the lengths of the sides of the piles, piers, or bridge surfaces in contact with the water.

9.4 Water-surface levels for sections 1 and 3 must be determined as described below; otherwise, the discharge coefficients will not be applicable.

9.4.1 At section 1, develop a profile on each bank near the ends of the section from high-water marks in the vicinity. If there are not marks in these areas and a large degree of contraction exists, draw a profile of marks along the upstream face of the embankment. If this profile is level for much of the distance along the embankment, assume this elevation is the same as that of section 1.

9.4.2 For section 3, obtain water-surface elevations along the downstream side of the embankment adjacent to the abutments regardless of the location of section 3.

9.4.3 Compute water-surface elevations at sections 1 and 3 as the average of the elevations on each bank.

9.4.4 The one exception is an opening with a high degree of eccentricity. In this area, determine the elevation of section 3 from marks on the contracted side only and use this elevation to compute both the area of section 3 and fall between sections 1 and 3.

9.5 Complete details of the bridge geometry should be obtained so that both plan and elevation drawings can be made. Determine wingwall angles and lengths, lengths of abutments, position and slopes of the embankments and abutments, elevation of roadway, top width of embankment, details of piers or piles, and elevations of the bottom of girders or beams spanning the contraction. Use a steel tape for most lineal measurements rather than scaling distances from a plan. Pictures of the upstream corners of both abutments should be taken. Note which of the four types of contractions the constriction is.

## 10. Basic Computations

10.1 The drop in water-surface level between an upstream section and a contracted section is related to the corresponding change in velocity. The discharge equation results from writing the energy and continuity equations for the reach between these two sections, designated as sections 1 and 3 in Fig. 1.

$$Q = CA_3 \sqrt{2g \left( \Delta h + \alpha_1 \frac{V_1^2}{2g} - h_f \right)} \quad (1)$$

where:

$Q$	= discharge,
$C$	= coefficient of discharge,
$A_3$	= gross area of section 3, this is the minimum section between the abutments and is not necessarily at the downstream side of the bridge,
$\Delta h$	= difference in elevation of the water surface between sections 1 and 3,
$\alpha_1 V_1^2 / 2g$	= weighted average velocity head at 1,
$V_1$	= average velocity, $Q/A_1$ , and
$h_f$	= head loss due to friction between sections 1 and 3.

10.2 The velocity head at section 1 is expressed by the term:

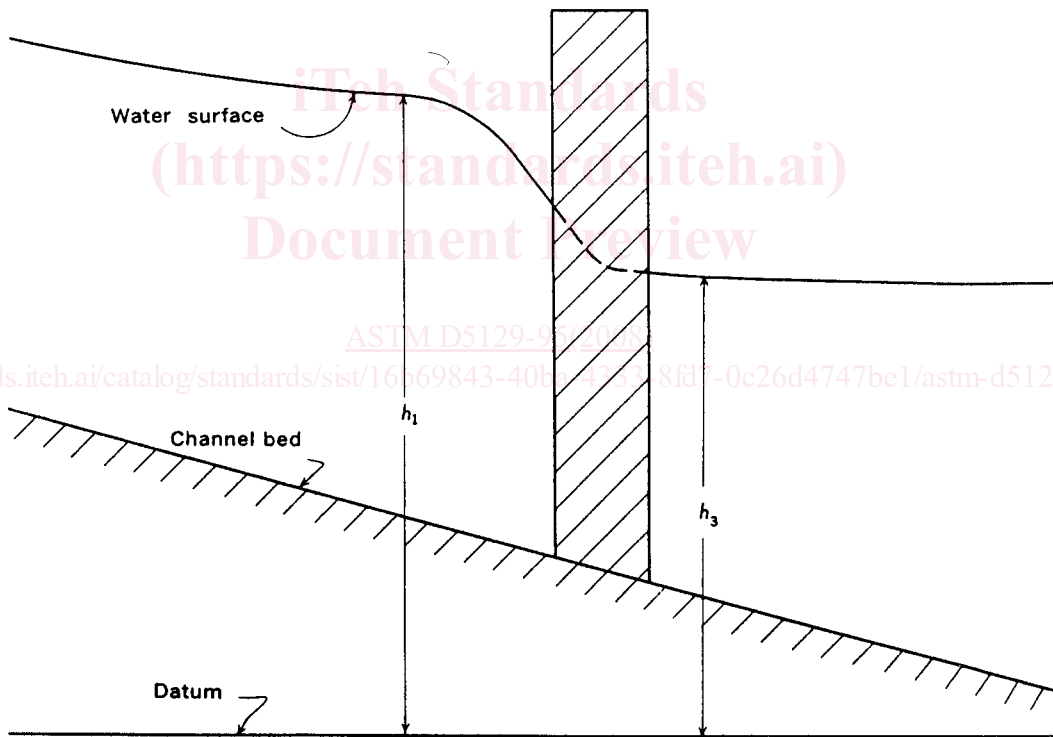
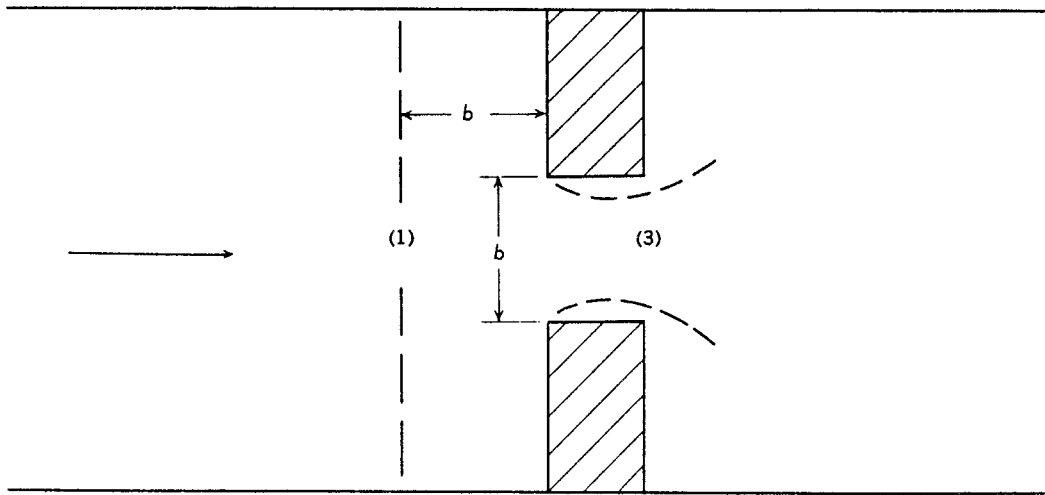


FIG. 1 Definition Sketch of an Open-Channel Contraction

$$\frac{\alpha_1 V_1^2}{2g}$$

where:

$V_1 = \sqrt{2g h_1}$  and  $\alpha_1$  is the velocity head adjustment factor.

10.2.1 The value of  $\alpha$  is computed from the relative conveyances and areas of the subsections into which a cross section is normally subdivided to the conveyance and area of the entire section.

$$\alpha = \frac{\sum \frac{K_i^3}{A_i^2}}{\frac{K_r^3}{A_r^2}} \quad (2)$$

where:

- $i$  = the subsections, and
- $T$  = the total cross section.

10.3 The friction loss in the discharge equation is the loss between sections 1 and 3. The distance between the two sections is divided into the reach from section 1 to the upstream side of the bridge opening and into the bridge-opening reach. The conveyance at the upstream side of the bridge opening is assumed to be the same as at section 3. The total head loss due to friction is computed as:

$$h_f = L_w \frac{Q^2}{K_1 K_3} + L \left( \frac{Q}{K_3} \right)^2 \quad (3)$$

where:

- $L_w$  = the length of the approach reach,
- $L$  = the length of the bridge opening, and
- $K_1$  and  $K_3$  = the total conveyances of sections 1 and 3.

10.3.1 Satisfactory results cannot be obtained by the contraction method if  $h_f$  is large relative to the difference in head,  $\Delta h$ .

10.4 The contracted opening method assumes tranquil flow at section 3. In a prismatic channel the flow is tranquil if the Froude number,  $F$ , is less than 1.0. In irregular sections, the Froude number is not an exact index of the state of flow. Therefore, if the computed Froude number exceeds 0.8, the computed discharge may not be reliable.

$$F = \frac{V_3}{\sqrt{g y_3}}$$

where:

- $y_3$  = the average depth at section 3;  $y_3 = A^3/b^3$ .

## 11. Classifications of Contractions

11.1 The discharge coefficient is a function of the bridge geometry. Most bridge openings can be classified as one of four types representing the distinctive features of their major geometric forms. Laboratory studies have defined certain ratios for each type of contraction and their effect on the discharge coefficient.

11.2 *Type 1*—A Type 1 contraction as shown in Fig. 3 has vertical embankments and vertical abutments with or without wingwalls. The entrance rounding or the wingwall angle, the angularity of the contraction with respect to the direction of flow, and the Froude number affect the discharge coefficient.

11.3 *Type 2*—A Type 2 contraction as shown in Fig. 4 has sloping embankments and vertical abutments. The depth of water at the abutments and the angularity of the contraction with respect to the direction of flow affect the discharge coefficient.

11.4 *Type 3*—A Type 3 contraction as shown in Fig. 5 has sloping embankments and sloping spill-through abutments. The entrance geometry and the angularity of the contraction with respect to the direction of flow affect the discharge coefficient.

11.5 *Type 4*—A Type 4 contraction as shown in Fig. 6 has sloping embankments, vertical abutments, and wingwalls. The wingwall angle, the angularity of the contraction with respect to the direction of flow, and, for some embankment slopes, the Froude number, affect the discharge coefficient. Notes that the addition of wingwalls does not necessarily make a Type 4 contraction. A Type 1 contraction may have wingwalls. If the flow passes around a vertical edge at the upstream corner of the wingwall, the contraction is Type 1; if the flow passes around a sloping edge at the top of the wingwall, the contraction is Type 4.

### 11.6 Modified Types:

11.6.1 *Spur Dikes*—Spur dikes are added to some bridge abutments to modify the flow pattern and reduce scour at the abutments. The effects of elliptical and straight dikes on the discharge coefficient have been defined by laboratory study.

11.6.2 *Dual Bridges*—The construction of divided highways has introduced dual-lane bridges. For the special case where the abutments are continuous between the two bridges, the geometry may still be classified as one of the standard types. Discharge coefficients have not been defined for dual bridges without continuous abutments.

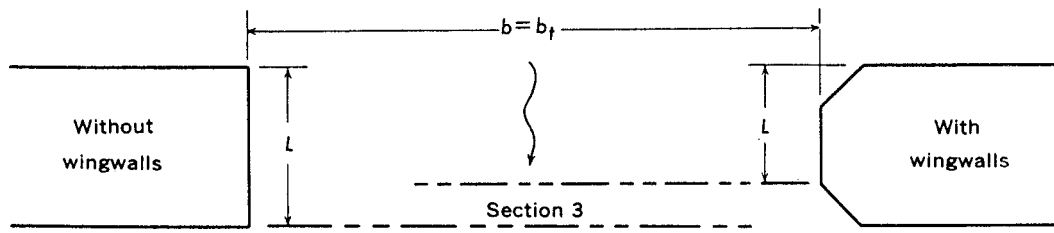
11.6.3 *Abutments Parallel to Flow*—The base discharge coefficients for all four types of contractions were determined for abutments perpendicular to the embankment, and then adjusted for angularity or the skew of the embankment. Many newer bridges have embankments at an angle to the channel, but abutments parallel to the flow. The discharge coefficient is the same for both conditions if the angle,  $\phi$ , is less than  $20^\circ$ . The effect of this change in geometry on the discharge coefficient for angles greater than  $20^\circ$  has not been adequately defined and this geometry should not be used in computing peak discharge.

11.6.4 *Nonstandard Types*—Some bridges do not fit any of the four types described. Bridges with Type 1 abutments set on Type 3 embankments, or Type 4 wingwalls with vertical upstream ends for part of their height, or unique construction will require engineering judgment to select the type to be used. When there is a choice between two types, the discharge coefficient can be computed for each type; if the difference is less than 5 %, either type can be selected; if the difference is over 5 %, the two coefficients can be averaged.

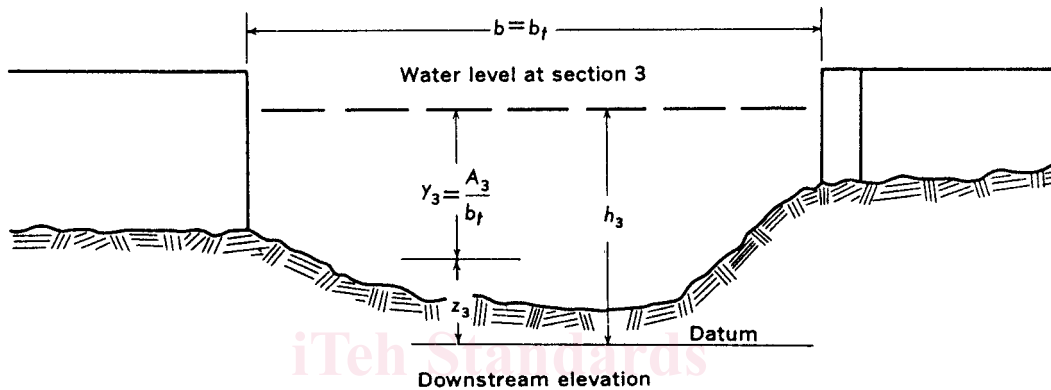
11.6.4.1 Arch bridges often approximate a Type 1 contraction; but if much of the arch is submerged a reliable answer will not be obtained by using Type 1 coefficients.

11.6.5 *Combination Sites*—Floods often flow over the road near a bridge in addition to flowing through the bridge opening. This is not a desirable condition for computing peak discharge; but if such a site must be used, a combination of the contraction method and flow-over-embankment method may be used.

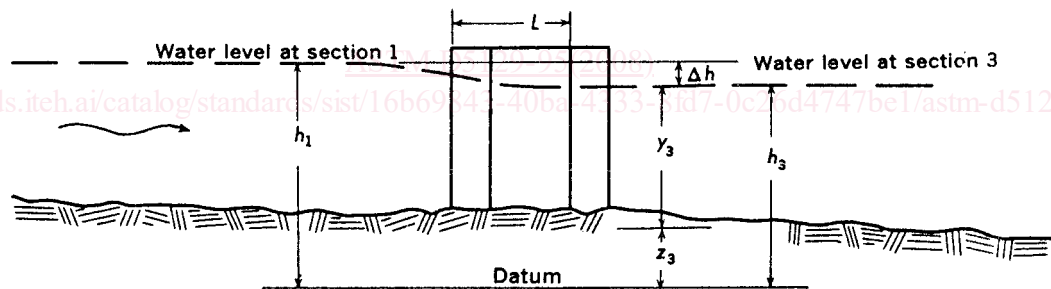
### 11.7 Multiple-Opening Contractions:



Plan of abutments



Downstream elevation



Elevation of abutment with wingwalls

FIG. 3 Definition Sketch of Type 1 Opening, Vertical Embankments and Vertical Abutments With or Without Wingwalls

11.7.1 Roadway crossings on large streams may include more than one bridge. Procedures for computing peak discharge through multiple-opening contractions have been defined by laboratory study. In general, the procedures used for single openings are applicable, but some of the geometric ratios and terms in the discharge equation are computed in a different manner.

## 12. Parameters Affecting the Discharge Coefficient

12.1 The discharge equation (Eq 1), derived from the energy equation and the continuity equation, contains a coefficient,  $C$ , that represents a combination of a coefficient of contraction, a

coefficient for the eddy losses caused by the contraction, and the velocity-head coefficient,  $\alpha_3$ , for the contracted section.

12.2 Dimensional analysis of the factors that influence the flow pattern through a bridge shows that  $C$  can be expressed as a function of certain geometric and flow parameters.

12.2.1 Of the 15 terms evaluated, the only ones that are common to all types of bridge openings are  $m$ ,  $L/b$ , and  $F$ . Laboratory studies have shown that, of these, the contraction ratio,  $m$ , is the most important, and  $F$  has the least general significance. Therefore,  $m$  and  $L/b$  were selected as primary variables for determining the base discharge coefficient,  $C'$ . The other terms are descriptive of the geometric properties of

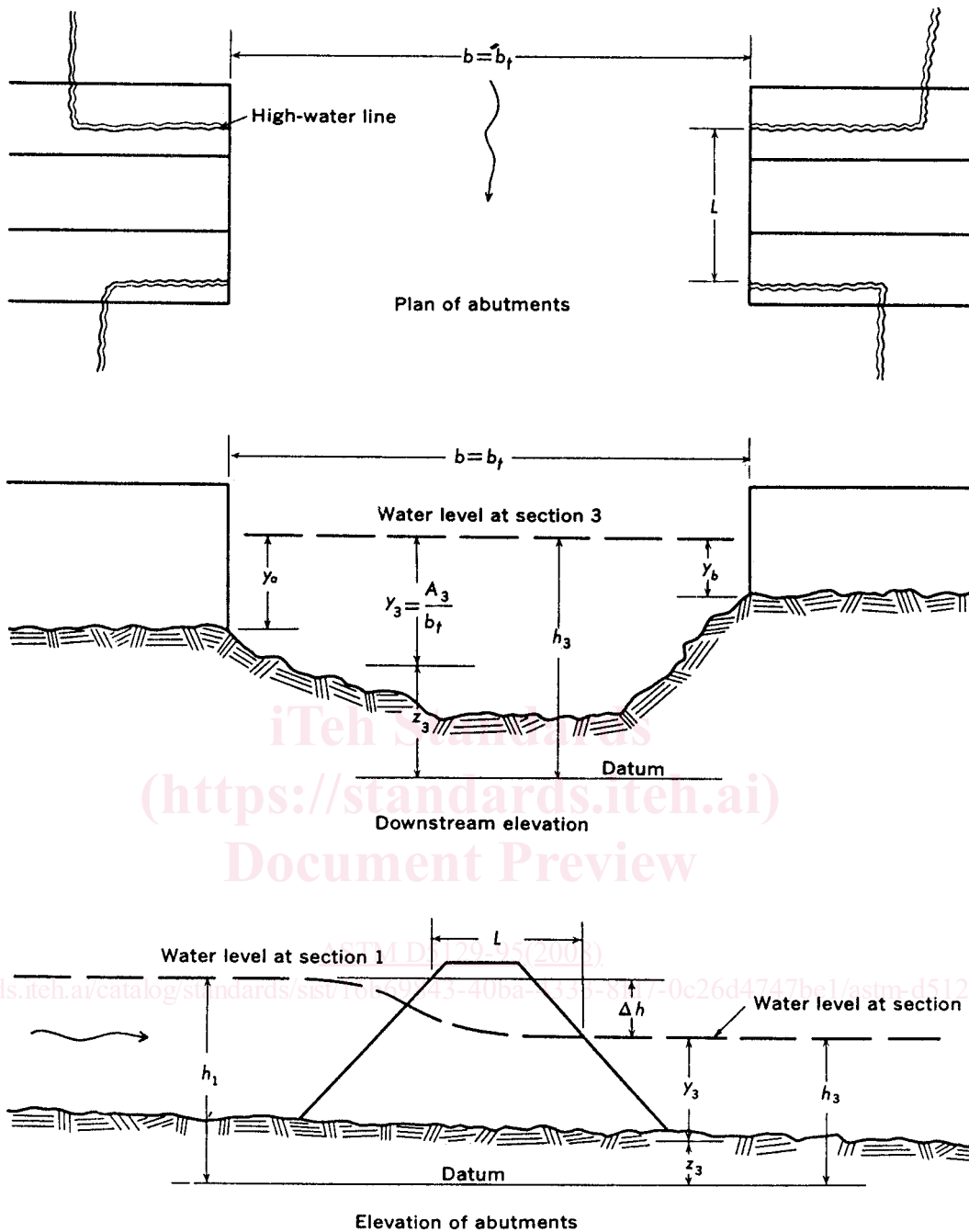


FIG. 4 Definition Sketch of a Type 2 Opening, Sloping Embankments and Vertical Abutments

various types of bridge openings. Adjustment factors to the base coefficients have been determined for these terms and the Froude number where applicable.

12.3 The flow-contraction ratio,  $m$ , describes the degree of contraction imposed by the constriction on the normal stream channel. The channel-contraction ratio is a measure of the proportion of the total flow that enters the contraction from the sides of the channel. It can be computed from the equation:

$$m = \frac{(Q - q)}{Q} = \frac{1 - 8}{Q}$$

where:

- $Q$  = the total discharge, and
- $q$  = the discharge that could pass through the opening without contraction.

The total discharge is assumed to be distributed across the approach section in proportion to the conveyances of arbitrarily defined subsections. This assumption can be made because the energy slope is approximately constant across the section.

$K_q$  is the conveyance of the subsection occupied by  $q$ , and  $K_l$  is the total conveyance of approach section; therefore:

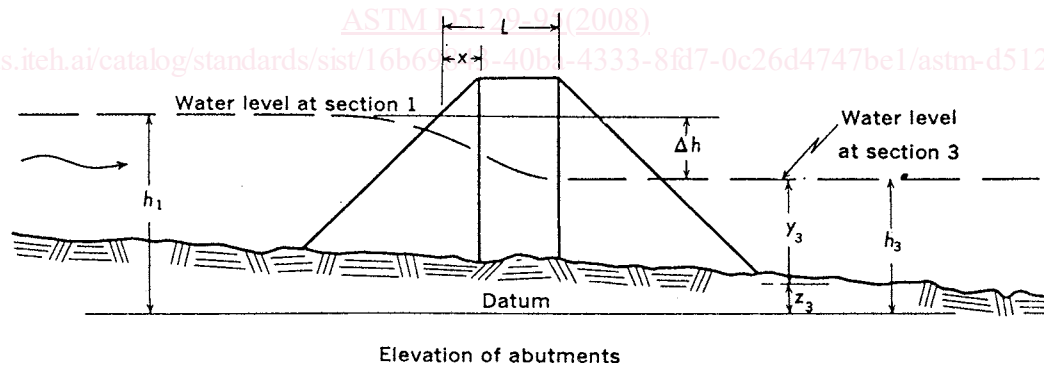
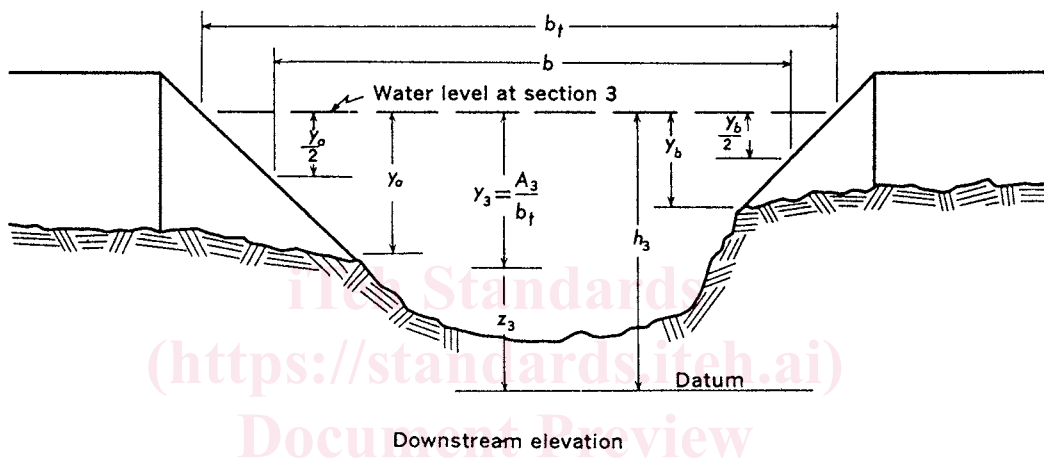
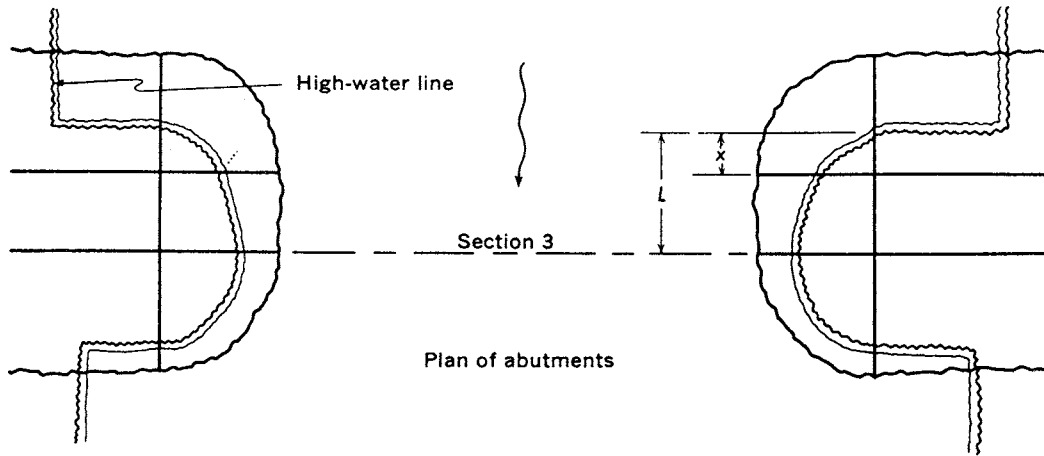


FIG. 5 Definition Sketch of a Type 3 Opening, Sloping Embankments and Sloping Abutments

$$m = \frac{1 - K_q}{K_l} = \frac{(K_a + K_b)}{K_l} \quad \text{or} \quad \frac{(K_a + K_b)}{(K_a + K_q + K_b)} \quad (4)$$

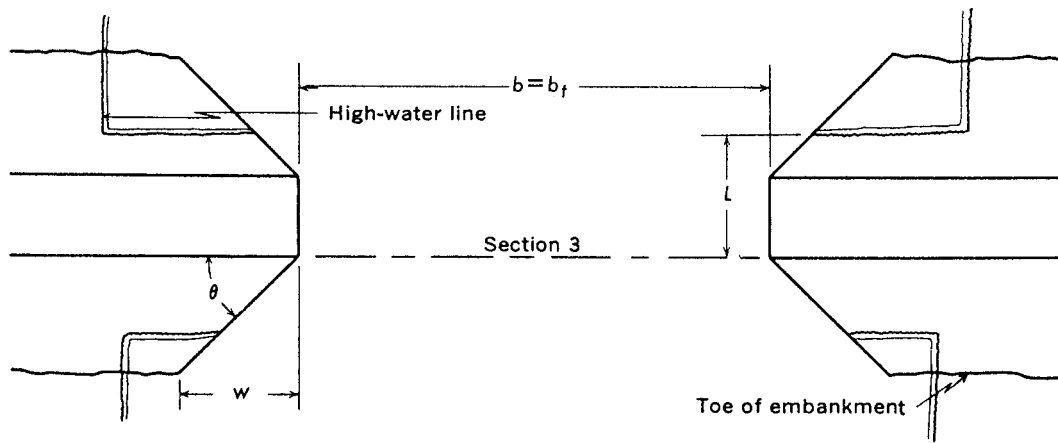
### 13. Determination of the Discharge Coefficient

13.1 One or more steps are required to determine the discharge coefficient. A base coefficient,  $C'$ , corresponding to given values of the two primary variables,  $m$  and  $L/b$ , is determined from one of the base curves of Figs. 7-15 for the type of bridge opening under consideration. The base coefficient,

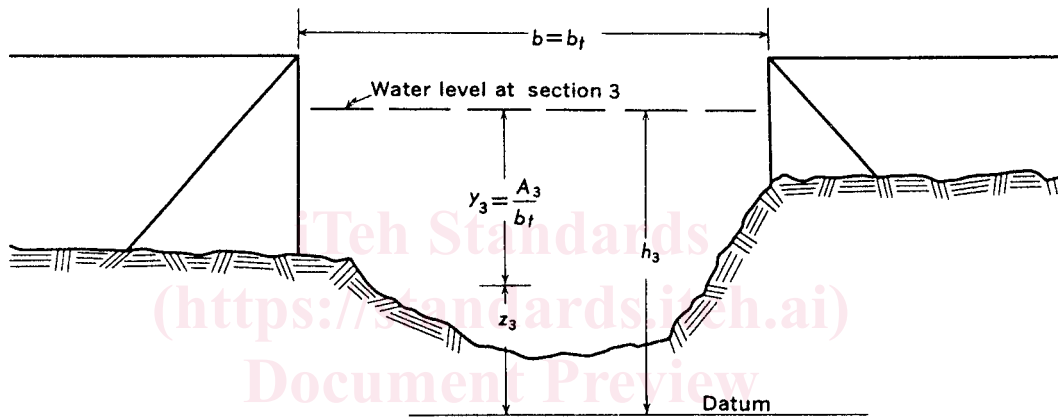
$C'$ , is the final discharge coefficient if all the six or seven standard conditions shown on the base curves are met. The secondary variables given under standard conditions are the only variables to be considered for that particular type of bridge opening.

13.2 *Primary Adjustment Factors*—If the standard conditions are not satisfied, then  $C'$  must be adjusted for the effect of each condition that is not standard. These adjustment factors

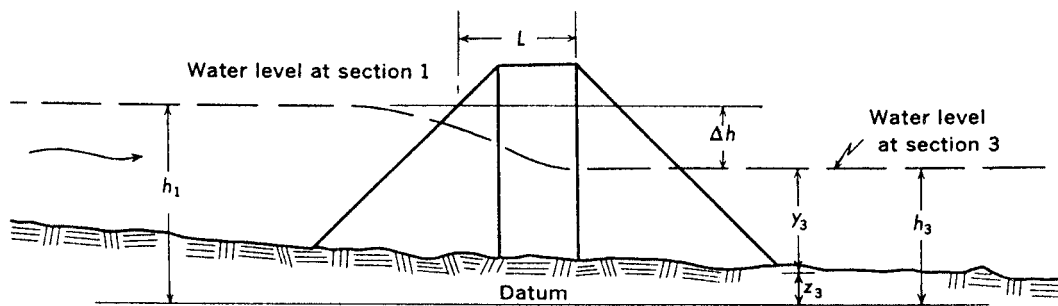




Plan of abutments



Downstream elevation



Elevation of abutment

FIG. 6 Definition Sketch of a Type 4 Opening, Sloping Embankments and Vertical Abutments With Wingwalls

are shown in Figs. 7-17; the product of all adjustment factors and the base coefficients is the discharge coefficient.

13.2.1 Certain combinations of the adjustment factors applied to a base coefficient will yield a value of  $C$  greater than 1.00. Because this is impossible, a value of  $C = 1.00$  is taken as the maximum under all circumstances. If submergence of both the upstream and downstream bottom chords occurred, the maximum value of the discharge coefficient is the value of the adjustment factor,  $k_r$ .

13.2.2 Adjustment factors for the effects of eccentricity, piles or piers, submergence, and skewed embankments with abutments parallel to the flow are applicable to all four types of bridge openings and are discussed in 13.2.3-13.2.5.

13.2.3 The eccentricity,  $e$ , of a bridge opening (see Fig. 2) is the ratio of the conveyances  $K_a/K_b$ .  $K_a$  and  $K_b$  are the conveyances of the parts of the approach section to either side of the projected  $b$  width, or to either side of the part of the section carrying the discharge,  $q$ , that passes through the

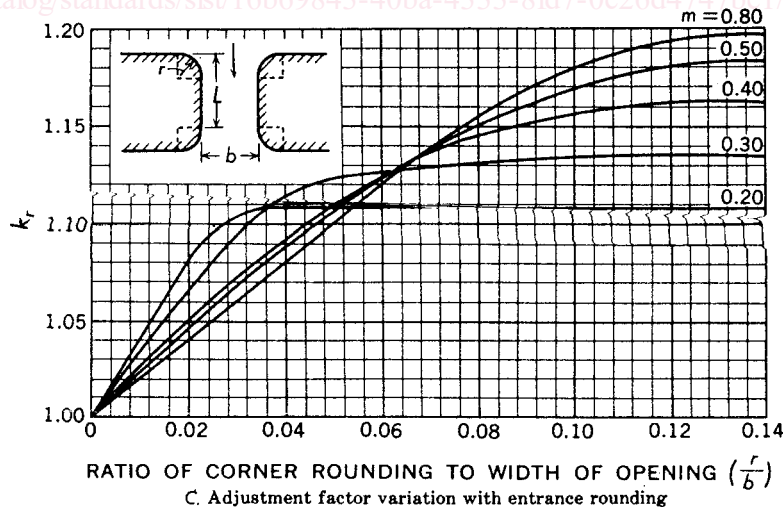
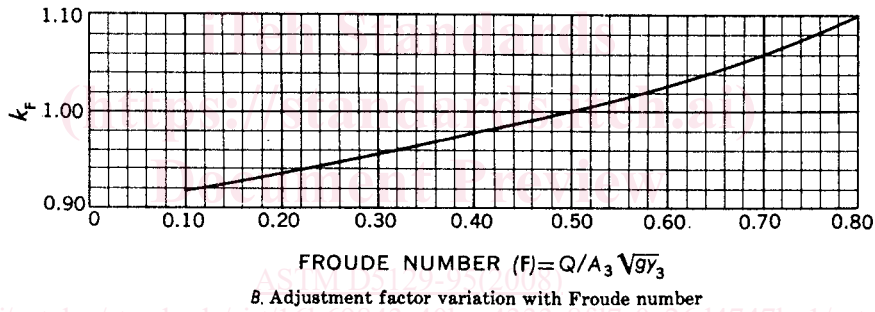
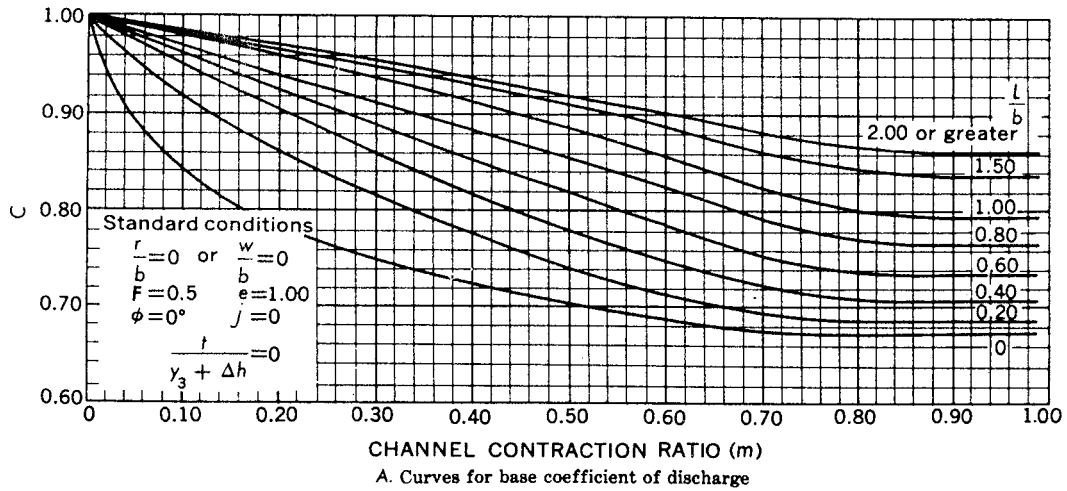
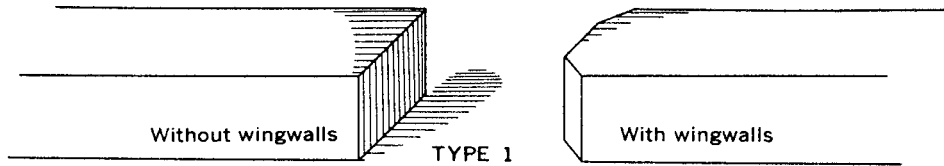


FIG. 7 Coefficients for Type 1 Opening, Vertical Embankments and Vertical Abutments

opening without contraction.  $K_a$  is always the smaller of the two. These conveyances are proportional to the flow that has to deviate from its natural course to enter the bridge opening. For

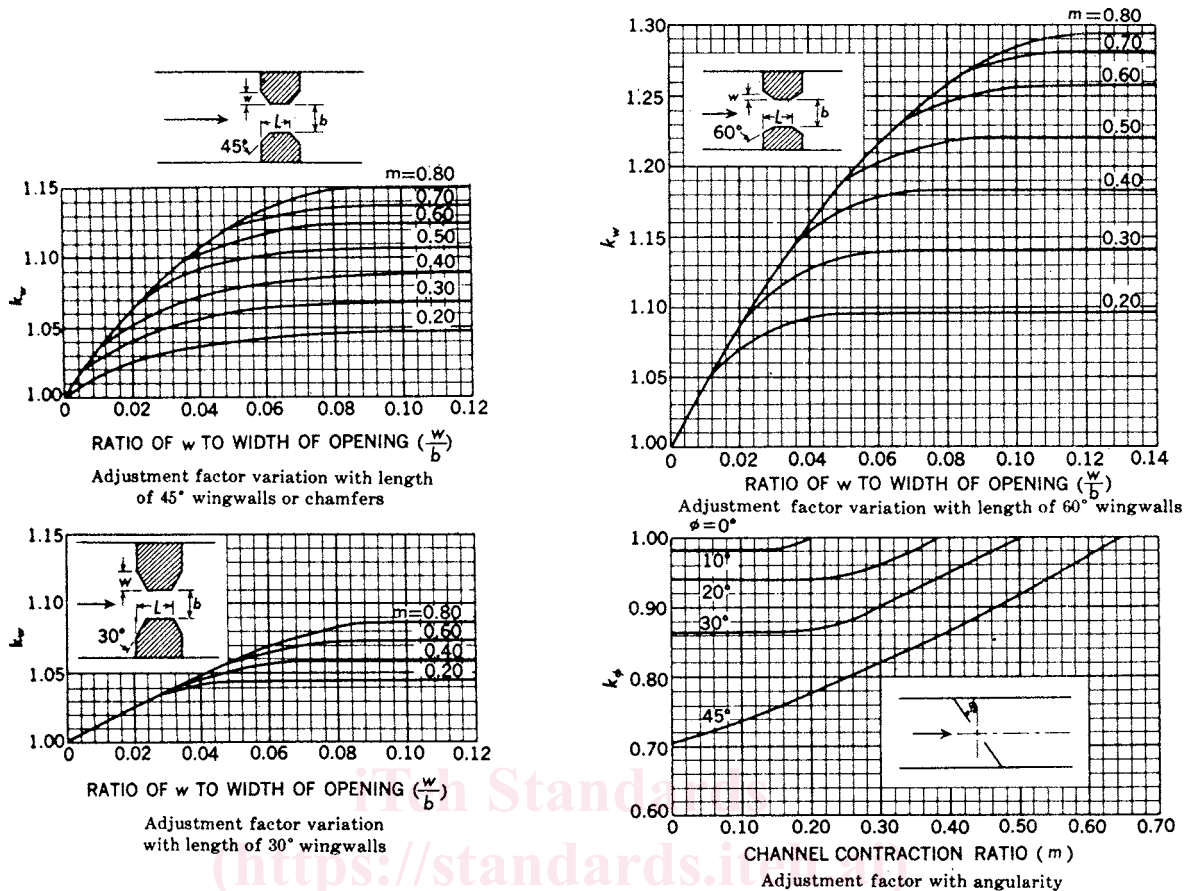


FIG. 8 Adjustment Factor Variation for Vertical Embankment and Abutment of Type 1 Opening

ratios greater than 0.12, no correction is necessary for eccentricity. For fully eccentric conditions (see Fig. 16),  $K_a$  is zero, therefore  $e = K_d/K_b = 0$ , and the following procedures should be used:

- (1) Locate the approach section, 1, a distance  $L_w = 2b$  upstream from the bridge.
- (2) Determine the base coefficient,  $C'$ , and the adjustment factors by using the ratio  $L/2b$ . Use abutment on contracted side only to determine  $C'$ .
- (3) The water-surface elevation at section 1 is average of the elevations at each end of the section.
- (4) The downstream elevation is determined on contracted side only (point B). Use this elevation to compute both the area of section 3 and the fall.

13.2.3.1 A fully eccentric contraction is considered as half a normal contraction; therefore the effective bridge width, for computing  $L_w$  and  $C'$ ; is equal to  $2b$ . The adjustment factor,  $k_e$ , is obtained from the following:

$e$	0	0.02	0.04	0.06	0.08	0.10	0.12
$k_e$	0.953	0.966	0.976	0.984	0.990	0.995	1.00

13.2.3.2 Many bridge openings contain piers or piles, and their effect on the discharge coefficient must be evaluated. The total submerged area of the piers or piles projected on the plane defined by section 3 is designated  $A_j$ . The ratio of the area of piers or piles to the gross area of section 3,  $A_j/A_3$ , is represented by the letter  $j$ . The relation of the channel-contraction ratio  $m$

to  $j$  determines the adjustment factor,  $k_j$ , for piers (see Fig. 17(a)) and the ratios,  $m$ ,  $j$ , and  $L/b$  determine  $k_j$  for piles (see Fig. 17(b)).

13.2.3.3 The dashed lines on Fig. 17(b) illustrate its use. In this example, enter the right-hand plot at the  $m$  value of 0.41; move vertically to an  $L/b$  value of 0.69; move horizontally to the line marked  $j = 0.10$  in the left-hand plot; then upward to the value of  $j$ , 0.04 in this example; and finally move horizontally to the  $k_j$  scale on the left to obtain a value of 0.967. For values of  $j$  greater than 0.10, move downward from the line marked  $j = 0.10$ .

13.2.3.4 When both piles or piers and submergence exist,  $j$  is computed as the ratio  $A_j/A_s$ . When the upstream and downstream bridge chords are submerged,  $A_s$  is the gross area below the lower bridge chord and  $A_j$  is the only area of piles or piers. When only the upstream bridge chord is submerged,  $A_s$  equals  $A_3$ , and  $A_j$  is only the submerged area of piles or piers.

13.2.4 Many floods cause stages high enough to submerge the lower parts of bridges. The additional wetted perimeter and obstruction of the bridge members affect the flow. The vertical distance between the water level at section 1 and the lowest horizontal member of a partially submerged bridge is designated as  $t$  (see Fig. 18). The ratio of  $t$  to the sum of  $y_3$  and  $\Delta h$  is called the bridge submergence ratio. Its effect on the discharge coefficient is indicated on Fig. 18 as  $k_r$ .