



Designation: E 756 – 98

Standard Test Method for Measuring Vibration-Damping Properties of Materials¹

This standard is issued under the fixed designation E 756; the number immediately following the designation indicates the year of original adoption or, in the case of revision, the year of last revision. A number in parentheses indicates the year of last reappraisal. A superscript epsilon (ϵ) indicates an editorial change since the last revision or reappraisal.

1. Scope

1.1 This test method measures the vibration-damping properties of materials: the loss factor, η , and Young's modulus, E , or the shear modulus, G . Accurate over a frequency range of 50 to 5000 Hz and over the useful temperature range of the material, this method is useful in testing materials that have application in structural vibration, building acoustics, and the control of audible noise. Such materials include metals, enamels, ceramics, rubbers, plastics, reinforced epoxy matrices, and woods that can be formed to cantilever beam test specimen configurations.

1.2 *This standard does not purport to address all the safety concerns, if any, associated with its use. It is the responsibility of the user of this standard to establish appropriate safety and health practices and determine the applicability of regulatory limitations prior to use.*

2. Referenced Documents

2.1 ASTM Standard:

E 548 Guide for General Criteria Used for Evaluating Laboratory Competence²

2.2 ANSI Standard:

S2.9 Nomenclature for Specifying Damping Properties of Materials³

3. Terminology

3.1 *Definitions*—Except for the terms listed below, ANSI S2.9 defines the terms used in this test method.

3.1.1 *free-layer (extensional) damper*—a treatment to control the vibration of a structural by bonding a layer of damping material to the structure's surface so that energy is dissipated through cyclic deformation of the damping material, primarily in tension-compression.

3.1.2 *constrained-layer (shear) damper*—a treatment to control the vibration of a structure by bonding a layer of damping material between the structure's surface and an

additional elastic layer (that is, the constraining layer), whose relative stiffness is greater than that of the damping material, so that energy is dissipated through cyclic deformation of the damping material, primarily in shear.

3.2 Definitions of Terms Specific to This Standard:

3.2.1 *glassy region of a damping material*—a temperature region where a damping material is characterized by a relatively high modulus and a loss factor that increases from extremely low to moderate as temperature increases (see Fig. 1).

3.2.2 *rubbery region of a damping material*—a temperature region where a damping material is characterized by a relatively low modulus and a loss factor that decreases from moderate to low as temperature increases (see Fig. 1).

3.2.3 *transition region of a damping material*—a temperature region between the glassy region and the rubbery region where a damping material is characterized by the loss factor passing through a maximum and the modulus rapidly decreasing as temperature increases (see Fig. 1).

3.3 *Symbols*—The symbols used in the development of the equations in this method are as follows (other symbols will be introduced and defined more conveniently in the text):

- E = Young's modulus of uniform beam, Pa
 η = loss factor of uniform beam, dimensionless
 E_1 = Young's modulus of damping material, Pa
 η_1 = loss factor of damping material, dimensionless
 G_1 = shear modulus of damping material, Pa

4. Summary of Method

4.1 The configuration of the cantilever beam test specimen is selected based on the type of damping material to be tested and the damping properties that are desired. Fig. 2 shows four different test specimens used to investigate extensional and shear damping properties of materials over a broad range of modulus values.

4.1.1 Self-supporting damping materials are evaluated by forming a single, uniform test beam (Fig. 2a) from the damping material itself.

4.1.2 Non-self-supporting damping materials are evaluated for their extensional damping properties in a two-step process. First, a self-supporting, uniform metal beam, called the base beam or bare beam, must be tested to determine its resonant frequencies over the temperature range of interest. Second, the

¹ This test method is under the jurisdiction of ASTM Committee E-33 on Environmental Acoustics and is the direct responsibility of Subcommittee E33.03 on Sound Transmission.

Current edition approved September 10, 1998. Published November 1998. Originally published as E 756-80. Last Previous edition E 756-93.

² *Annual Book of Standards*, Vol 14.02.

³ Available from America National Standards Institute, 1430 Broadway, New York, NY 10018.

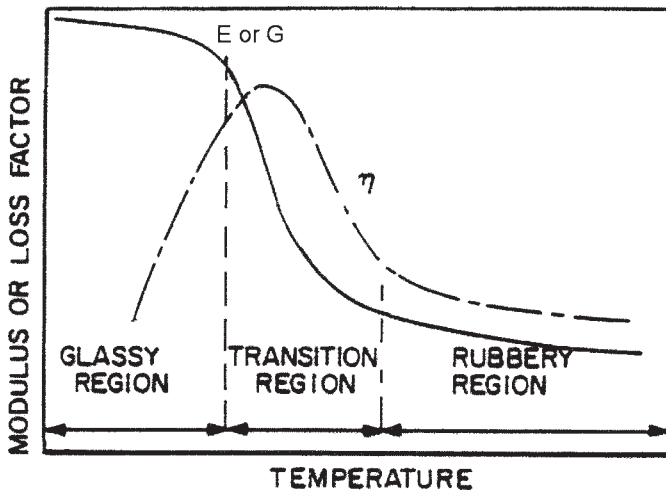


FIG. 1 Variation of Modulus and Material Loss Factor with Temperature (Frequency held constant) (Glassy, Transition, and Rubbery Regions shown)

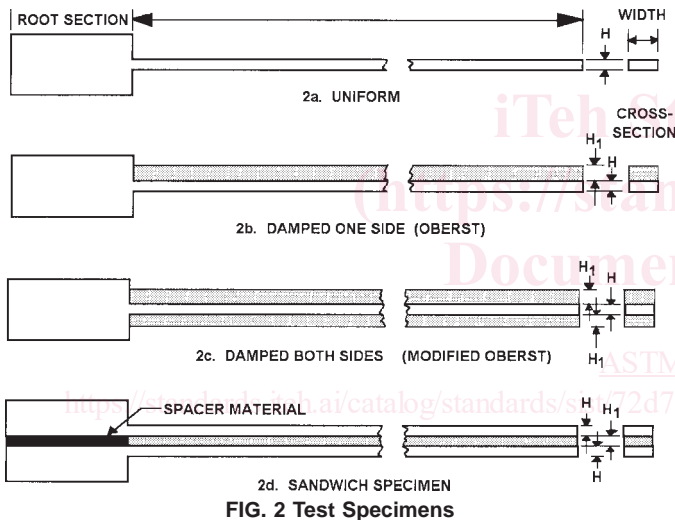


FIG. 2 Test Specimens

damping material is applied to the base beam to form a damped composite beam using one of two test specimen configurations (Fig. 2b or 2c). The damped composite beam is tested to obtain its resonant frequencies, and corresponding composite loss factors over the temperature range of interest. The damping properties of the material are calculated using the stiffness of the base beam, calculated from the results of the base beam tests (see Section 10.2.1), and the results of the composite beam tests (see Sections 10.2.2 and 10.2.3).

4.1.3 The process to obtain the shear damping properties of non-self-supporting damping materials is similar to the two step process described above but requires two identical base beams to be tested and the composite beam to be formed using the sandwich specimen configuration (Fig. 2d).

4.2 Once the test beam configuration has been selected and the test specimen has been prepared, the test specimen is clamped in a fixture and placed in an environmental chamber. Two transducers are used in the measurement, one to apply an excitation force to cause the test beam to vibrate, and one to

measure the response of the test beam to the applied force. By measuring several resonances of the vibrating beam, the effect of frequency on the material's damping properties can be established. By operating the test fixture inside an environmental chamber, the effects of temperature on the material properties are investigated.

4.3 To fully evaluate some non-self-supporting damping materials from the glassy region through the transition region to the rubbery region may require two tests, one using one of the specimen configurations (Fig. 2b or 2c) and the second using the sandwich specimen configuration (Fig. 2d) (See Appendix X2.6).

5. Significance and Use

5.1 The material loss factor and modulus of damping materials are useful in designing measures to control vibration in structures and the sound that is radiated by those structures, especially at resonance. This test method determines the properties of a damping material by indirect measurement using damped cantilever beam theory. By applying beam theory, the resultant damping material properties are made independent of the geometry of the test specimen used to obtain them. These damping material properties can then be used with mathematical models to design damping systems and predict their performance prior to hardware fabrication. These models include simple beam and plate analogies as well as finite element analysis models.

5.2 This test method has been found to produce good results when used for testing materials consisting of one homogeneous layer. In some damping applications, a damping design may consist of two or more layers with significantly different characteristics. These complicated designs must have their constituent layers tested separately if the predictions of the mathematical models are to have the highest possible accuracy.

5.3 Assumptions:

5.3.1 All damping measurements are made in the linear range, that is, the damping materials behave in accordance with linear viscoelastic theory. If the applied force excites the beam beyond the linear region, the data analysis will not be applicable. For linear beam behavior, the peak displacement from rest for a composite beam should be less than the thickness of the base beam (See Appendix X2.3).

5.3.2 The amplitude of the force signal applied to the excitation transducer is maintained constant with frequency. If the force amplitude cannot be kept constant, then the response of the beam must be divided by the force amplitude. The ratio of response to force (referred to as the compliance or receptance) presented as a function of frequency must then be used for evaluating the damping.

5.3.3 Data reduction for both test specimens 2b and 2c (Fig. 2) uses the classical analysis for beams but does not include the effects of the terms involving rotary inertia or shear deformation. The analysis does assume that plane sections remain plane; therefore, care must be taken not to use specimens with a damping material thickness that is much greater (about four times) than that of the metal beam.

5.3.4 The equations presented for computing the properties of damping materials in shear (sandwich specimen 2d - see Fig. 2) do not include the extensional terms for the damping layer.

This is an acceptable assumption when the modulus of the damping layer is considerably (about ten times) lower than that of the metal.

5.3.5 The equations for computing the damping properties from sandwich beam tests (specimen 2d - see Fig. 2) were developed and solved using sinusoidal expansion for the mode shapes of vibration. For sandwich composite beams, this approximation is acceptable only at the higher modes, and it has been the practice to ignore the first mode results. For the other specimen configurations (specimens 2a, 2b, and 2c) the first mode results may be used.

5.3.6 Assume the loss factor (η) of the metal beam to be zero.

NOTE 1—This is a well-founded assumption since steel and aluminum materials have loss factors of approximately 0.001 or less, which is significantly lower than those of the composite beams.

5.4 Precautions:

5.4.1 With the exception of the uniform test specimen, the beam test technique is based on the measured differences between the damped (composite) and undamped (base) beams. When small differences of large numbers are involved, the equations for calculating the material properties are ill-conditioned and have a high error magnification factor, i.e. small measurement errors result in large errors in the calculated properties. To prevent such conditions from occurring, it is recommended that:

5.4.1.1 For a specimen mounted on one side of a base beam (see Section 10.2.2 and Fig. 2b), the term $(f_c/f_n)^2(1 + DT)$ should be equal to or greater than 1.01.

5.4.1.2 For a specimen mounted on two sides of a base beam (see Section 10.2.3 and Fig. 2c), the term $(f_m/f_n)^2(1 + 2DT)$ should be equal to or greater than 1.01.

5.4.1.3 For a sandwich specimen (see Section 10.2.4 and Fig. 2d), the term $(f_s/f_n)^2(2 + DT)$ should be equal to or greater than 2.01.

5.4.1.4 The above limits are approximate. They depend on the thickness of the damping material relative to the base beam and on the modulus of the base beam. However, when the value of the terms in Sections 5.4.1.1, 5.4.1.2, or 5.4.1.3 are near these limits the results should be evaluated carefully. The ratios in Sections 5.4.1.1, 5.4.1.2, and 5.4.1.3 should be used to judge the likelihood of error.

5.4.2 Test specimens 2b and 2c (Fig. 2), are usually used for stiff materials with Young's modulus greater than 100 MPa, where the properties are measured in the glassy and transition regions of such materials. These materials usually are of the free-layer type of treatment, such as enamels and loaded vinyls. The sandwich beam technique usually is used for soft viscoelastic materials with shear moduli less than 100 MPa. The value of 100 MPa is given as a guide for base beam thicknesses within the range listed in 8.4. The value will be higher for thicker beams and lower for thinner beams. When the 100 MPa guideline has been exceeded for a specific test specimen, the test data may appear to be good, the reduced data may have little scatter and may appear to be self-consistent. Although the composite beam test data are accurate in this modulus range, the calculated material properties are generally wrong. Accu-

rate material property results can only be obtained by using the test specimen configuration that is appropriate for the range of the modulus results.

5.4.3 Applying an effective damping material on a metal beam usually results in a well-damped response and a signal-to-noise ratio that is not very high. Therefore, it is important to select an appropriate thickness of damping material to obtain measurable amounts of damping. Start with a 1:1 thickness ratio of the damping material to the metal beam for test specimens 2b and 2c (Fig. 2) and a 1:10 thickness ratio of the damping material to one of the sandwich beams (2d). Conversely, extremely low damping in the system should be avoided because the differences between the damped and undamped system will be small. If the thickness of the damping material cannot easily be changed to obtain the thickness ratios mentioned above, consider changing the thickness of the base beam (see Section 8.4).

5.4.4 Read and follow all material application directions. When applicable, allow sufficient time for curing of both the damping material and any adhesive used to bond the material to the base beam.

5.4.5 Learn about the characteristics of any adhesive used to bond the damping material to the base beam. The adhesive's stiffness and its application thickness can affect the damping of the composite beam and be a source of error (see Section 8.3).

5.4.6 Consider known aging limits on both the damping and adhesive materials before preserving samples for aging tests.

6. Apparatus

6.1 The apparatus consists of a rigid test fixture to hold the test specimen, an environmental chamber to control temperature, two vibration transducers, and appropriate instrumentation for generating the excitation signal and measuring the response signal. Typical setups are shown in Figs. 3 and 4.

6.2 *Test Fixture*—The test fixture consists of a massive, rigid structure which provides a clamp for the root end of the beam and mounting support for the transducers.

6.2.1 To check the rigidity and clamping action of the fixture, test a bare steel beam as a uniform specimen (see Section 8.1.1) using the procedure in section 9 and calculate the material properties using the equations in Section 10.2.1. If Young's modulus is not $2.07 \text{ E}+11 \text{ Pa}$ ($30 \text{ E}+6 \text{ psi}$) and the loss factor is not approximately 0.002 to 0.001 for modes 1 and 2 and 0.001 or less for the higher modes, then there is a problem in the fixture or somewhere else in the measurement system (See Appendix X2.2).

6.2.2 It is often useful to provide vibration isolation of the test fixture to reduce the influence of external vibrations which may be a source of measurement coherence problems.

6.2.3 Fig. 3 shows a test fixture with a vertical orientation of the specimen beam. The location of the clamp may be either at the top with the specimen extending downward, as shown in Fig. 3, or at the bottom with the specimen extending upward. Horizontal orientation of the beam is also commonly employed (see Fig. 4).

6.3 *Environmental Chamber*—An environmental chamber is used for controlling the temperature of the test fixture and specimen. As an option, the chamber may also be controlled for other environmental factors such as vacuum. Environmental

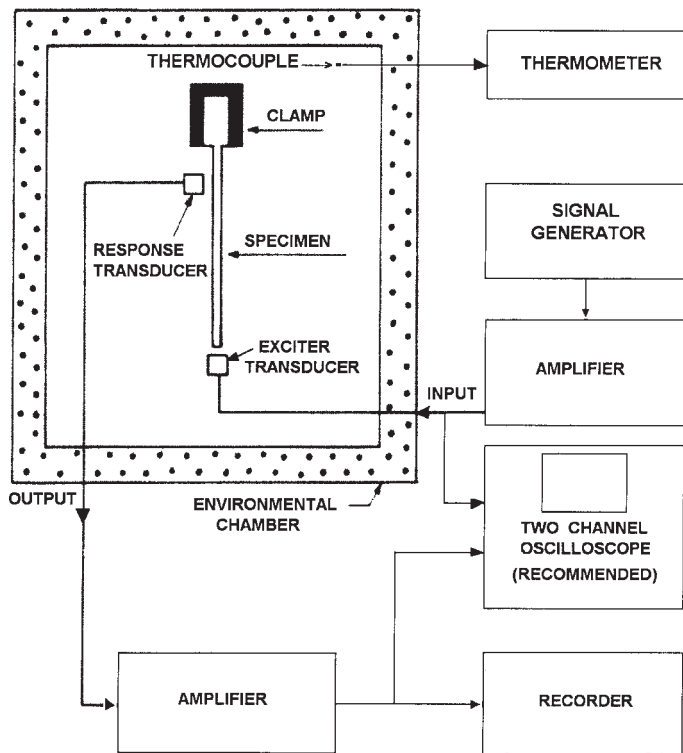


FIG. 3 Block Diagram of Experimental Set-Up using separate Excitation and Response Channels and a Sinusoidal Excitation Signal

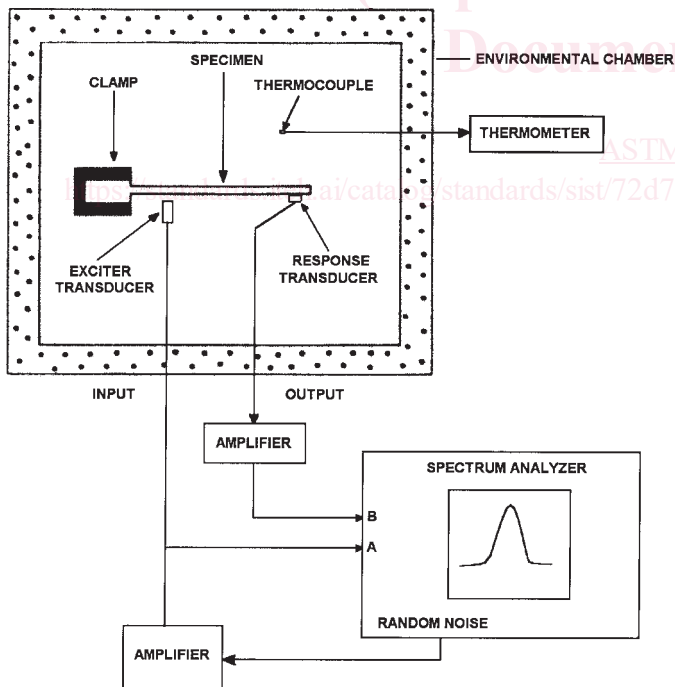


FIG. 4 Block Diagram of Experimental Set-Up using a Two-Channel Spectrum Analyzer and Random Noise Excitation Signal

chambers often are equipped with a rotating fan for equalizing the temperature throughout the chamber. If it is found that the fan is a source of external vibration in the test beam, the fan should be switched off during data acquisition.

6.4 *Transducers*—Two transducers are utilized. One transducer applies the excitation force, and the other measures the response of the beam. Because it is necessary to minimize all sources of damping except that of the material to be investigated, it is preferable to use transducers of the noncontacting type. Usually the excitation force is applied using an electromagnetic, noncontacting transducer (for example, tachometer pickup) and sometimes response is measured using the same type of transducer. When using stainless steel, aluminum, or nonferrous beams, small bits of magnetic material may be fastened adhesively to the base beam side of the specimen to achieve specimen excitation and measurable response.

6.4.1 At higher frequencies, where noncontacting transducers lack the sensitivity necessary for measurements, subminiature transducers (less than 0.5 g) (that is, accelerometers, strain gages, and so on) may be attached to the beam. The data obtained with these contacting transducers must be identified and a comment cautioning the reader about possible effects (damping and stiffness, especially due to the wiring required by contacting transducers) from this approach must be included in the report.

6.4.2 Fig. 3 shows the arrangement of the transducers with the pick-up transducer near the root and the exciter transducer near the free end. The locations of the transducers may be reversed, as shown in Fig. 4. The locations should be selected to obtain the best signal-to-noise ratio.

6.5 *Instrumentation*—The minimum instrumentation requirements for this test is two channels for vibration data (excitation and response) and one channel for temperature data.

6.5.1 Fig. 3 shows separate excitation and response signal instrumentation channels. Alternatively, a two-channel spectrum analyzer (for example, based on the Fast Fourier Transform algorithm) may be used (see Fig. 4).

6.5.2 The instrumentation may generate either a sinusoidal or random noise excitation signal.

6.5.3 It is recommended that the waveforms in both excitation and response channels be monitored. If separate excitation and response channels are used, as shown in Fig. 3, a two-channel oscilloscope can perform this function. Two-channel spectrum analyzers usually have a similar waveform display function.

7. Sampling

7.1 The damping material test specimen shall be representative of the bulk quantity of material from which the specimen is taken. Where adhesive bonding is employed, care must be taken to minimize lot-to-lot variability of the adhesive's chemical and physical properties.

8. Test Specimen Preparation

8.1 Select the configuration of the test specimen based on the type of damping material to be tested and the damping properties that are desired. The techniques required for preparation of the damping material test specimen often are dependent on the physical characteristics of the material itself. To prepare a damped composite beam may require various techniques such as spray coating, spatula application, or adhesive bonding of a precut sample. Four test specimen configurations are given in Fig. 2 and their use is described as follows:

8.1.1 Test specimen 2a, uniform beam, is used for measuring the damping properties of self-supporting materials. This configuration is also used for testing the metal base beam or beams that form the supporting structure in the other three specimen configurations.

8.1.2 Test specimen 2b, damped one side, is used to evaluate the properties of stiff damping materials when subjected to extensional deformation.

NOTE 2—This is the test specimen configuration that was used by Dr. H. Oberst. (1)⁴ It is often called the Oberst beam or Oberst bar. The general method of measuring damping using a vibrating cantilever beam is sometimes referred to as the Oberst beam test.

8.1.3 Test specimen 2c, damped two sides, has material coated on both sides of the base beam. The properties are determined under extensional deformation. This configuration allows for simplification in the equations relating to 8.1.2. It also helps to minimize curling of the composite beam during changing temperature conditions due to differences in thermal expansion.

NOTE 3—This test specimen configuration is often called the modified Oberst beam.

8.1.4 Test specimen 2d, sandwich specimen, is used for determining the damping properties of soft materials that will be subjected to shear deformation in their application. A metal spacer of the same thickness as the damping material must be added in the root section between the two base beams of the test specimen (see Fig. 2d). The spacer must be bonded in place with a stiff, structural adhesive system.

8.2 All test specimens are to have well-defined roots, that is, the end section of the beam to be clamped in the test fixture (see Fig. 2). The root section should have a length of 25 to 40 mm and have a height above the top surface of the beam and a height below the bottom surface of the beam that are each at least equal to the thickness of the composite beam. The presence of these roots is essential for generating useful and meaningful data for most measurements because they give the best simulation of the cantilever boundary condition when the beam is clamped in the rigid test fixture. These roots can be either integrally machined as part of the beam, welded to the beam, or bonded to the beam with a stiff, structural adhesive system (See Appendix X2.1).

8.3 Follow the damping material supplier's recommendations in the selection and application of an adhesive. Lacking such recommendations, the following should be considered: The damping material is usually bonded to the metal beam using a structural grade (versus a contact type) adhesive which should have a modulus much higher (about ten times) than that of the damping material. The thickness of the adhesive layer must be kept to a minimum (less than 0.05 mm), and small in comparison with that of the damping material. If these two rules are not met, deformation may occur in the adhesive layer instead of the damping layer and erroneous data will result. Note that in some cases the damping material is of the self-adhesive type.

8.4 The metal used for the base beam is usually steel or aluminum. Base beam dimensions found to be successful are a width of 10 mm, a free length of 180 to 250 mm, and a thickness of 1 to 3 mm. Other base beam dimensions may be selected based on the desired frequency range of the measurements and the characteristics of the damping material to be tested. The width of the beam is not a factor in the equations for calculating the material properties. However, when selecting the width of the beam, care should be taken to avoid making the beam susceptible to torsional vibrations (see assumptions in Section 5.3.3).

8.5 The thickness of the damping material may vary, depending on the specific properties of the material and the temperatures and frequencies of interest.

9. Procedure

9.1 Mount the beam in a heavy, rigid fixture providing clamping force around the root of the beam to simulate a fixed end, cantilever boundary condition.

9.2 Place the test fixture, including the beam specimen, inside an environmental chamber.

9.3 Position the transducers on or around the specimen as appropriate for the type of transducer. (Noncontacting type transducers are often placed approximately 1 mm away from the specimen.) Typical setups are shown in Figs. 3 and 4.

9.4 Set the environmental chamber to the desired temperature. Vibration response measurements must be performed at intervals over a wide range of temperatures. Temperature increments of 5°C or 10°C between data acquisition temperatures are common.

9.4.1 The beginning and end points of the temperature range are dependent on the damping material being tested and must be determined by monitoring the loss factor results for the damped composite beam. The range is adequate when the upper and lower slopes, as well as the peak of the loss factor curve, have been well defined by the measurements (see Fig. 1).

9.4.2 To ensure that the test specimen is in full thermal equilibrium during testing, adequate soak time is needed after each new temperature is reached. The soak time depends on the thermal mass of the specimen-fixture system. When determining the soak time it is recommended that the minimum soak time not be less than 30 minutes.

9.5 At each data acquisition temperature, excite the test specimen by applying either a sinusoidal or random signal to the excitation transducer by means of a power amplifier. Measure the response of the beam using the second transducer. When using swept sinusoidal excitation, it is recommended that a manually controlled sweep be used rather than an automatically controlled sweep. This is because a high sweep rate can cause considerable errors in the response spectrum, and a manual sweep allows better control for adapting to the circumstances of the measurement. Fig. 5 shows a typical frequency response spectrum at a fixed temperature.

9.5.1 Measure several resonant modes of the beam for each data acquisition temperature. Figs. 6 and 7 show examples of the variation with temperature in the resonance frequency and loss factor of a damped composite beam. Four or more modes

⁴ The boldface numbers in parenthesis refer to the list of references at the end of this test method.

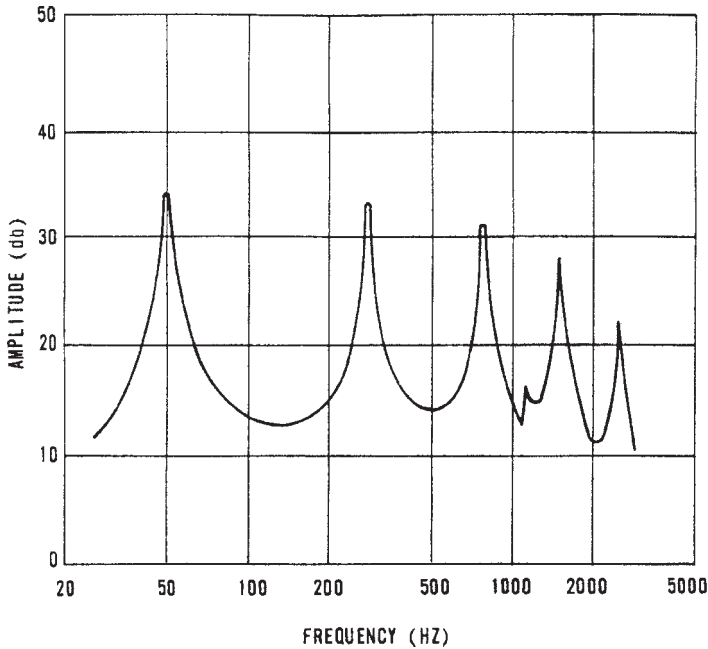


FIG. 5 Typical Frequency Response Spectrum of an Undamped Beam

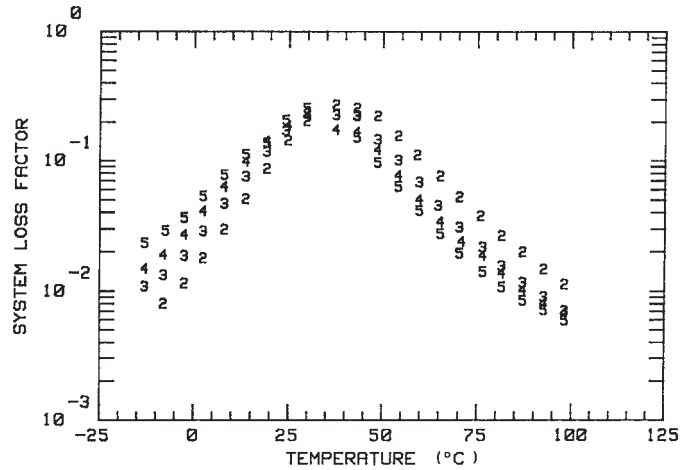


FIG. 7 Variation of Loss Factor with Temperature for the Indicated Bending Modes of a Damped Cantilever Beam

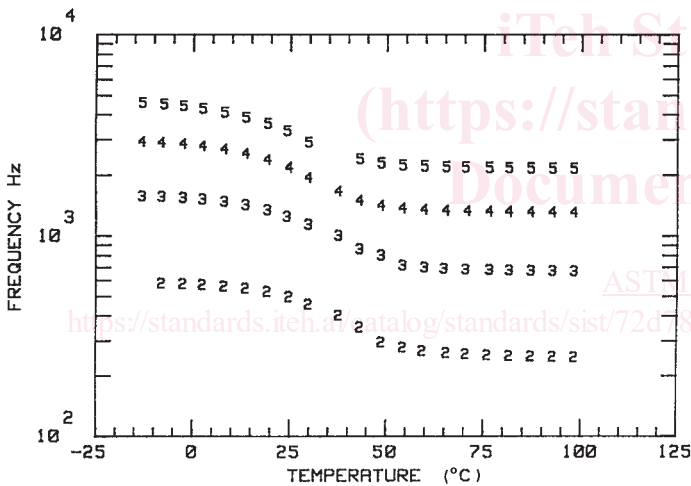


FIG. 6 Variation of Resonance Frequency with Temperature for the Indicated Bending Modes of a Damped Cantilever Beam

specimen provided it can be shown that the other methods give the same results for moderately damped specimens. Examples of other possible methods are modal curve fitting (2), Nyquist plots (3), dynamic stiffness methods (4) or the “n dB” bandwidth method (5) (described below).

9.5.3.1 The “n dB” bandwidth method is similar to the half-power bandwidth method except that the frequencies above and below the resonant frequency are measured where the value of the response curve is n dB less than the value at resonance. The value n is chosen by the user to be a value less than 3 but greater than 0.5 which will allow the width of the resonance to be measured.

9.5.3.2 To compute the modal loss factor using the “n dB” method use the following equation:

$$\eta = \left(\frac{1}{\sqrt{x^2 - 1}} \right) \frac{\Delta f}{f} \tag{1}$$

where $x = 10^{(n/20)}$ and n is the “n dB” value chosen by the user.

9.5.4 If a spike appears in the response curve, it may be ignored if it does not affect the half-power bandwidth measurement. If the “n dB” method must be employed to avoid the spike, then report the problem encountered and remedial measures taken.

9.5.5 If a double peak appears in the response curve at the resonance to be measured, the “n dB” method may be employed if the principal peak can be clearly identified. Report the problem encountered and remedial measures taken.

9.5.6 Extra care should be taken when the modal loss factor of the test specimen exceeds 0.20. The following is recommended:

9.5.6.1 Pay close attention to the symmetry (or lack thereof) of the response curve when using the half-power bandwidth or similar methods to determine the loss factor.

9.5.6.2 If the response curve lacks symmetry and specimen preparation techniques cannot be used to enhance the measurability of a damping material (See Section 5.4.3 regarding the selection of the thickness of the damping material so as to obtain measurable damping values), then select and use an appropriate formulae for evaluating the loss factor which

are commonly measured starting with mode 2. Mode 1 is usually not measured (see Section 5.3.5).

9.5.2 Use the half-power bandwidth method to measure the damping of the composite beam. Using the response curve from each mode, measure the resonant frequency and the frequencies above and below the resonant frequency where the value of the response curve is 3 dB less (the 3 dB down points) than the value at resonance. The frequency difference between the upper 3 dB down point and the lower 3 dB down point is the half-power bandwidth of the mode. The modal loss factor (η) is the ratio of the half-power bandwidth to the resonant frequency (See the loss factor calculation in Section 10.2.1 for the uniform beam).

9.5.3 Methods other than the half-power bandwidth method may be used for measuring the modal damping of the test